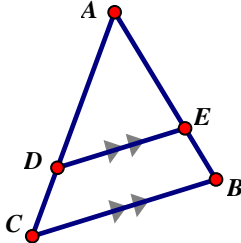
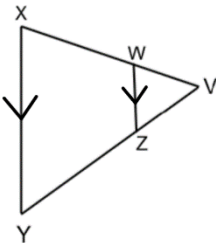
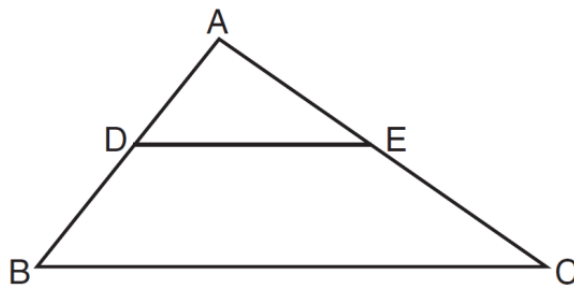


AIM: WHAT IS THE TRIANGLE SIDE-SPLITTER THEOREM?

TRIANGLE SIDE-SPLITTER THEOREM	DIAGRAM 1	DIAGRAM 2
<p>A line segment splits two sides of a triangle proportionally if and only if it is _____ to the third side.</p>	 <p>Sides _____ and _____ are split proportionally.</p>	 <p>Sides _____ and _____ are split proportionally.</p>

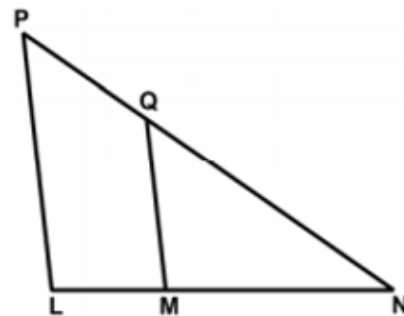
Example 2: In $\triangle ABC$ as shown below, points D and E are located on sides \overline{AB} and \overline{AC} , respectively. Line segment DE is drawn such that $AE = 2.5$, $EC = 7.5$, $AD = 1.25$, and $DB = 3.75$.

Explain why \overline{DE} is parallel to \overline{BC} .

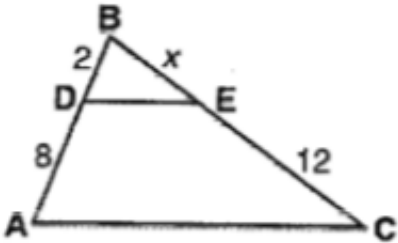
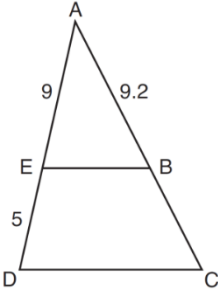
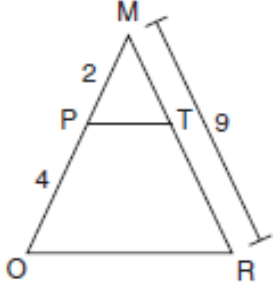


Example 3: Which of the following segment lengths would justify the claim that $\overline{PL} \parallel \overline{QM}$?

- (1) $LM = 8$, $MN = 12$, $PQ = 10$, and $QN = 14$
- (2) $LM = 5$, $MN = 10$, $PQ = 8$, and $QN = 18$
- (3) $LM = 6$, $MN = 10$, $PQ = 9$, and $QN = 15$
- (4) $LM = 10$, $MN = 15$, $PQ = 12$, and $QN = 20$

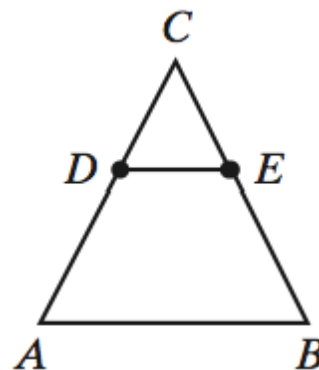


SOLVING MISSING LENGTHS – 3 PROPORTION CASES

CASE 1 $\frac{\text{upper left}}{\text{lower left}(\text{bad})} = \frac{\text{upper right}}{\text{lower right}(\text{bad})}$	CASE 2 $\frac{\text{whole left}}{\text{upper left}} = \frac{\text{whole right}}{\text{upper right}}$	CASE 3 $\frac{\text{whole left}}{\text{lower left}(\text{bad})} = \frac{\text{whole right}}{\text{lower right}(\text{bad})}$
<p>Example 3: In the following diagram $\overline{DE} \parallel \overline{AC}$. Find the value of x.</p> 	<p>Example 4: In the diagram of $\triangle ADC$ below, $\overline{EB} \parallel \overline{DC}$, $AE = 9$, $ED = 5$, and $AB = 9.2$. What is the length of \overline{AC}, to the nearest tenth?</p> 	<p>Example 5: Given $\triangle MRO$ shown below, with trapezoid $PTRO$, $MR = 9$, $MP = 2$, and $PO = 4$. What is the length of \overline{TR}?</p> 

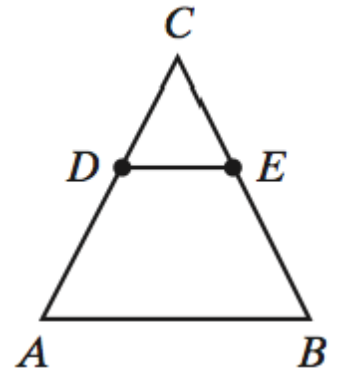
PRACTICE PROBLEMS!

1. D is a point on \overline{AC} and E is a point on \overline{BC} of $\triangle ABC$ such that $\overline{DE} \parallel \overline{AB}$. If $CD = 8$, $DA = 2$, and $CB = 7.5$, find CE .



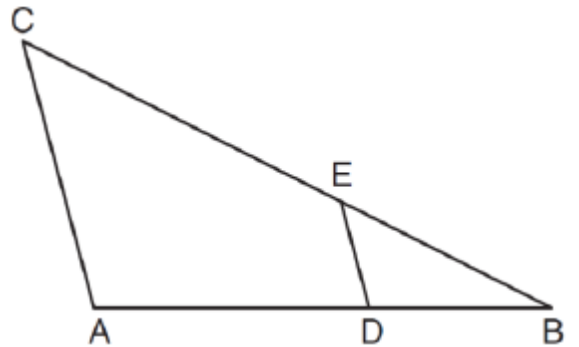
2. D is a point on \overline{AC} and E is a point on \overline{BC} of $\triangle ABC$ such that $\overline{DE} \parallel \overline{AB}$. If $CA = 35$, $DA = 10$, and

$CE = 15$, find EB .



3. D is a point on \overline{AC} and E is a point on \overline{BC} of $\triangle ABC$ such that $\overline{DE} \parallel \overline{AB}$. If $CA = 8$, $AB = 10$, and $CD = 4$, find DE .

4. In the diagram below of $\triangle ABC$, D is a point on \overline{AC} and E is a point on \overline{BC} , $\overline{AC} \parallel \overline{DE}$, $CE = 25$ inches, $AD = 18$ inches, and $DB = 12$ inches. Find, to the *nearest tenth of an inch*, the length of \overline{EB} .



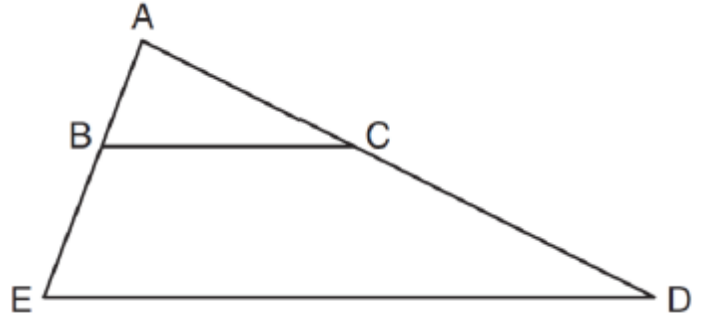
5. In $\triangle ABC$, point D is a point on \overline{AB} and E is a point on \overline{BC} such that $\overline{DE} \parallel \overline{AC}$. If $DB = 2$, $DA = 7$, and $DE = 3$, what is the length of \overline{AC} ?

Name: _____

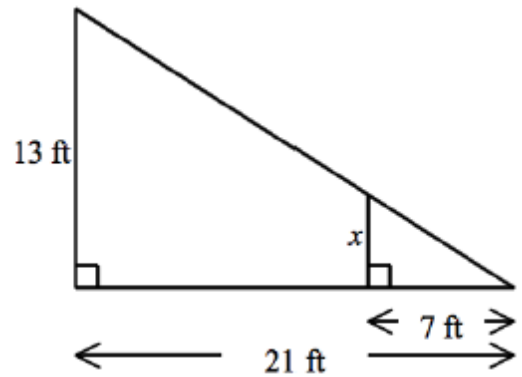
Date: _____

HOMWORK

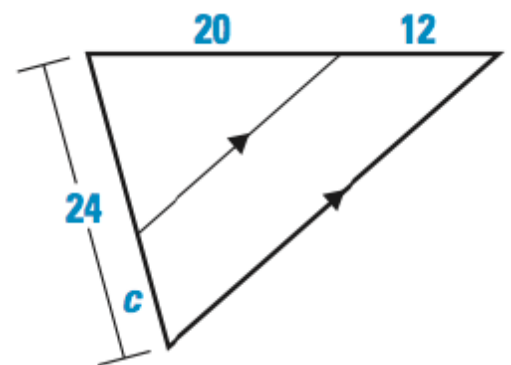
1. In the diagram below of $\triangle ADE$, B is a point on \overline{AE} and C is a point on \overline{AD} such that $\overline{BC} \parallel \overline{ED}$, $AC = x - 3$, $BE = 20$, $AB = 16$, and $AD = 2x + 2$. Find the length \overline{AC} .



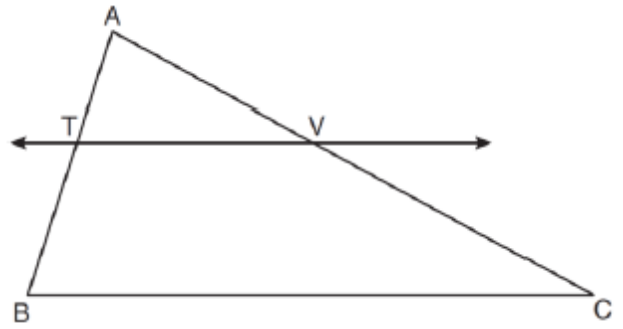
2. Solve for x to the nearest tenth.



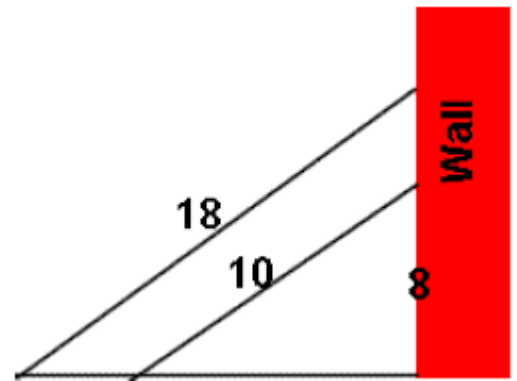
3. Solve for c .



4. In the diagram below of $\triangle ABC$, $\overline{TV} \parallel \overline{BC}$, $AT = 5$, $TB = 7$, and $AV = 10$. What is the length of \overline{VC} ?



5. Two ladders are leaned up against a wall such that they make the same angle with the ground. The 10 foot ladder reaches 8 feet up the wall. How much further up the wall does the 18 foot ladder reach?



6. The map at the right shows the walking paths at a local park. The garden walkway is parallel to the walkway between the monument and the pond. How long is the path from the pond to the playground?

