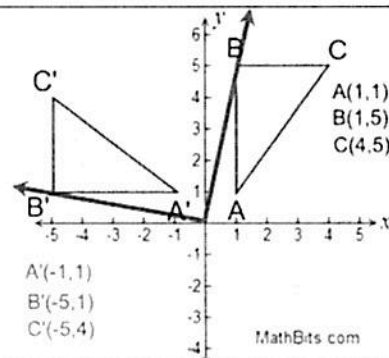
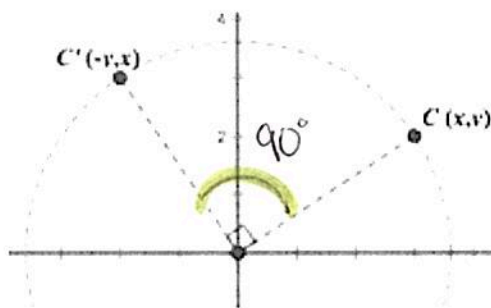


AIM: HOW DO WE EVALUATE ROTATIONS ON THE COORDINATE PLANE?

Rotate 90 °

CCW around origin

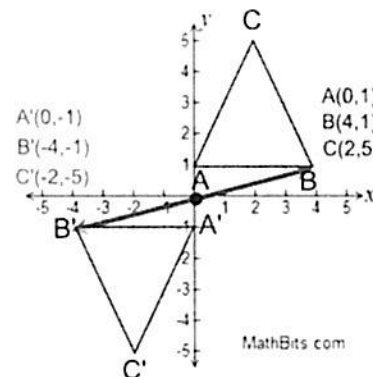
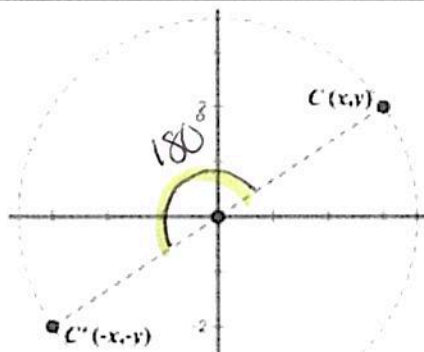
Rule: $(x, y) \rightarrow (-y, x)$



Rotate 180 °

CCW around origin

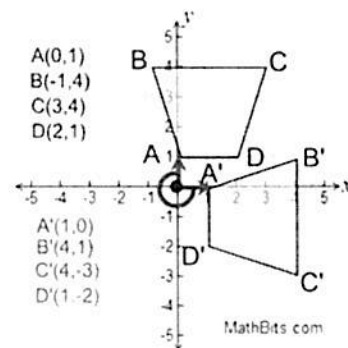
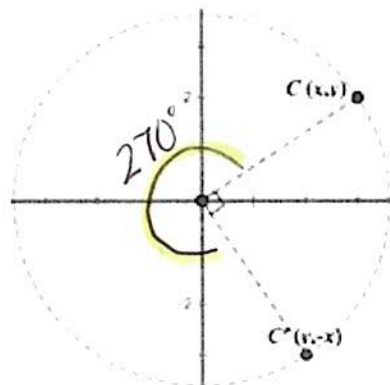
Rule: $(x, y) \rightarrow (-x, -y)$



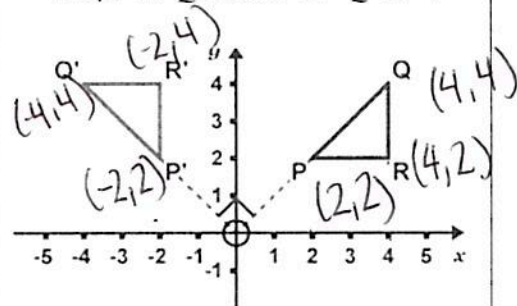
Rotate 270 °

CCW around origin

Rule: $(x, y) \rightarrow (y, -x)$

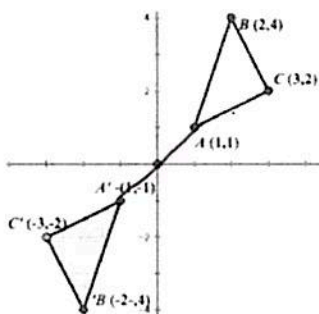


1. Describe the transformation that maps $\triangle PQR$ onto $\triangle P'Q'R'$.



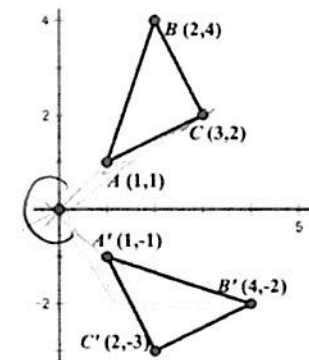
$R_{O, 90^\circ}$

2. Describe the transformation that maps $\triangle ABC$ onto $\triangle A'B'C'$.

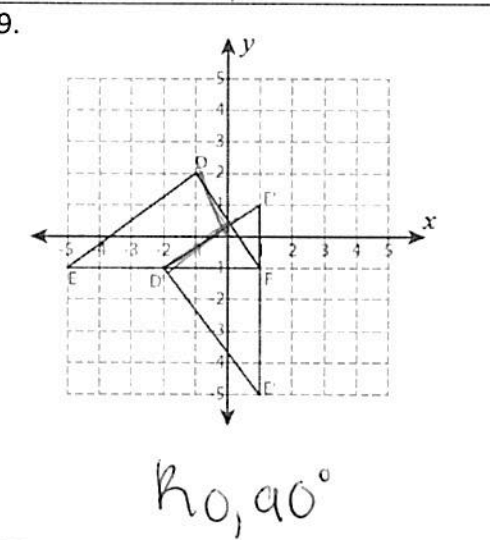
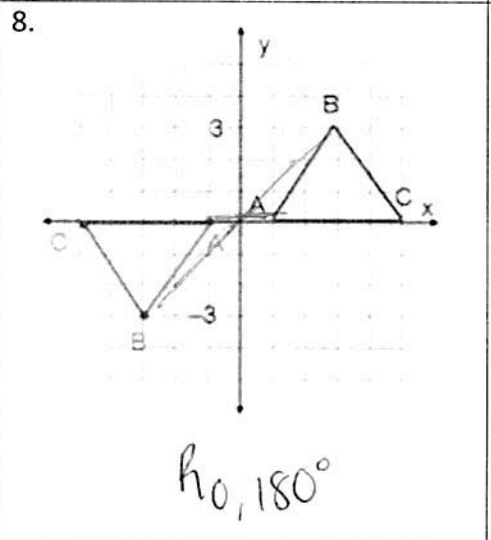
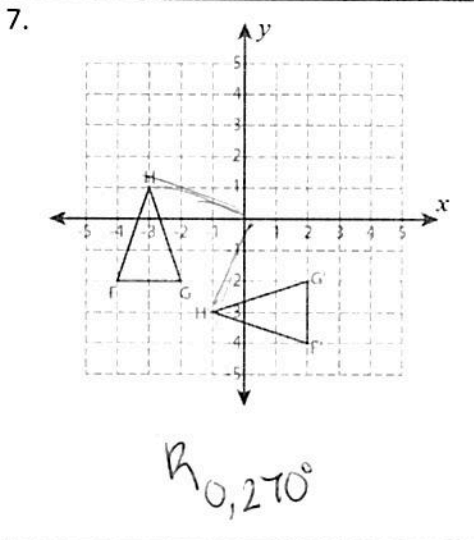
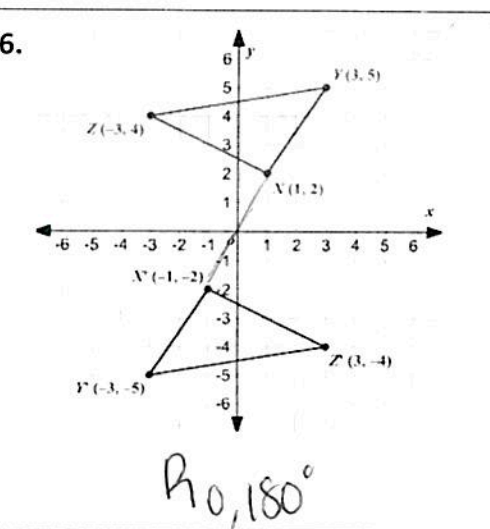
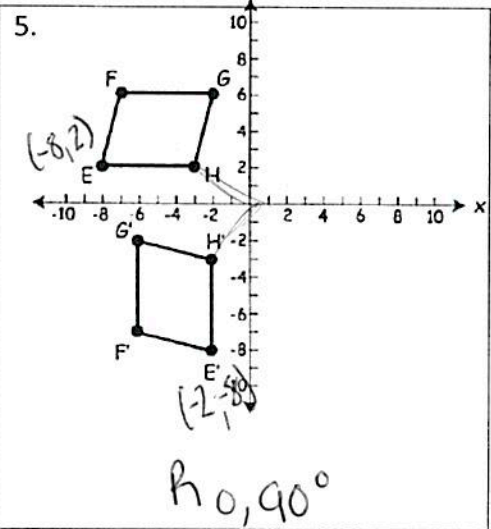
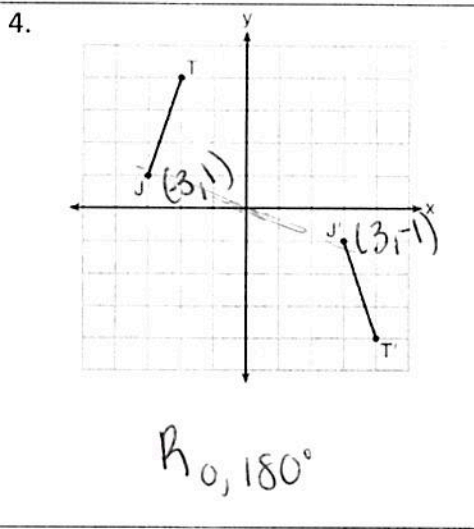


$R_{O, 180^\circ}$

3. Describe the transformation that maps $\triangle ABC$ onto $\triangle A'B'C'$.



$R_{O, 270^\circ}$



10. Which point shown in the graph below is the image of point W after a counterclockwise rotation of 90° about the origin?

X

11. Which point shown in the graph below is the image of point W after a clockwise rotation of 270° about the origin?

X

12. Which point shown in the graph below is the image of point P after a counterclockwise rotation of 90° about the origin?

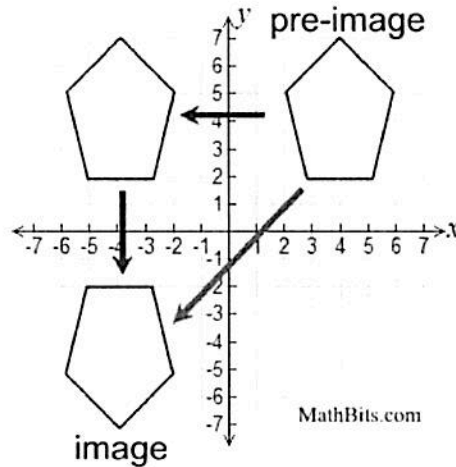
A

13. Which point shown in the graph below is the image of point P after a clockwise rotation of 270° about the origin?

A

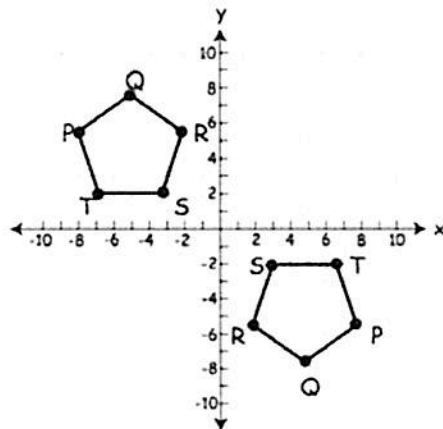
CONCLUSION: If you rotate an image ccw 90° , it is equivalent to a rotation cw 270°

The combination of a line reflection in the y -axis, followed by a line reflection in the x -axis, can be renamed as a single transformation of a rotation of 180° about the origin.



CONCLUSION: Reflecting an image twice has the same result as rotating an image 180°

14. Describe transformation(s) that maps $PQRST$ onto $P'Q'R'S'T'$.

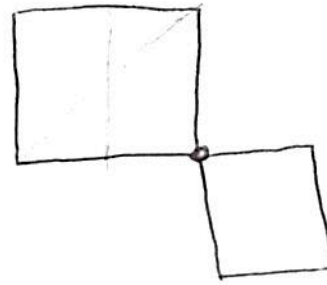


(1) A reflection over the y -axis followed by a reflection over the x -axis such that $PQRST$ maps onto $P'Q'R'S'T'$.

(2) A rotation of 180° about the origin such that $PQRST$ maps onto $P'Q'R'S'T'$.

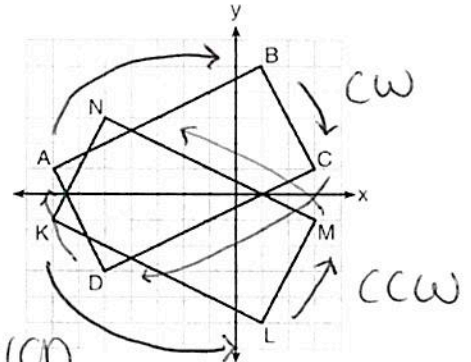
15. Which transformation would *not* carry a square onto itself?

- 1) a reflection over one of its diagonals ✓
- 2) a 90° rotation clockwise about its center ✓
- ③ a 180° rotation about one of its vertices
- 4) a reflection over the perpendicular bisector of one side



16. On the set of axes below, rectangle $ABCD$ can be proven congruent to rectangle $KLMN$ using which transformation?

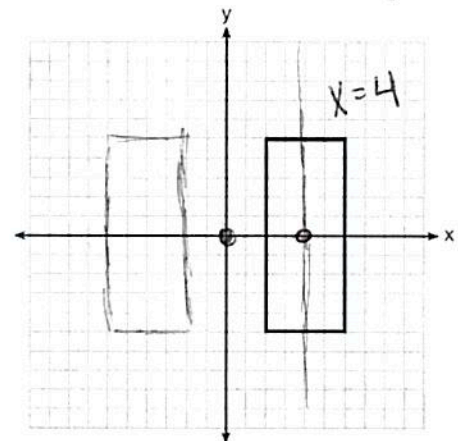
- 1) rotation
- 2) translation
- ③ reflection over the x -axis
- 4) reflection over the y -axis



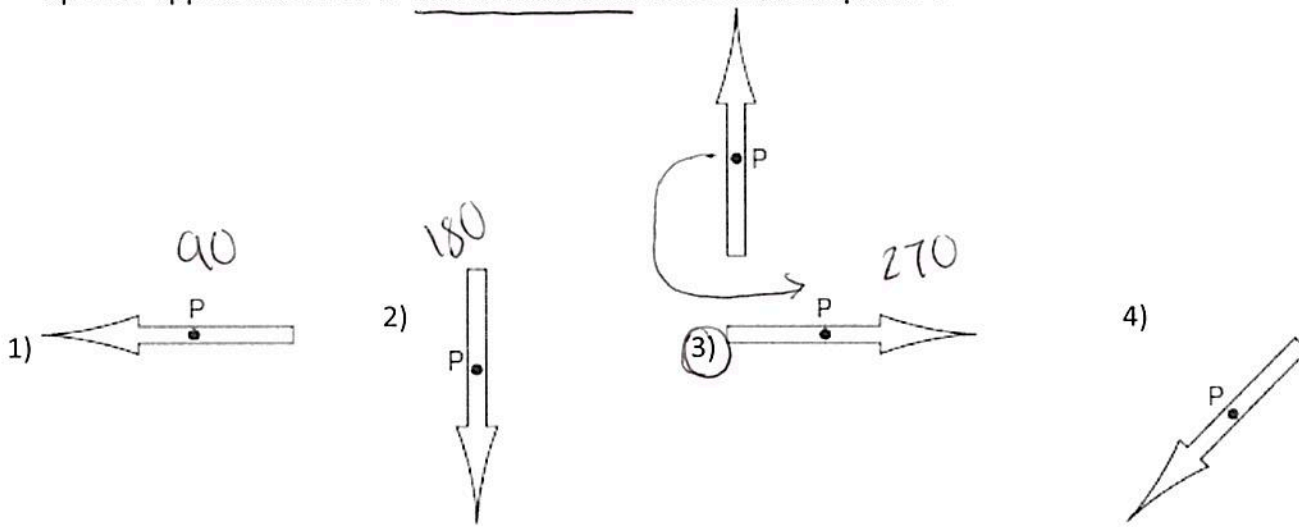
orientation changes! → Reflection

17. As shown in the graph below, the quadrilateral is a rectangle. Which transformation would *not* map the rectangle onto itself?

- 1) a reflection over the x -axis ✓
- 2) a reflection over the line $x = 4$ ✓
- ③ a rotation of 180° about the origin
- 4) a rotation of 180° about the point $(4, 0)$ ✓

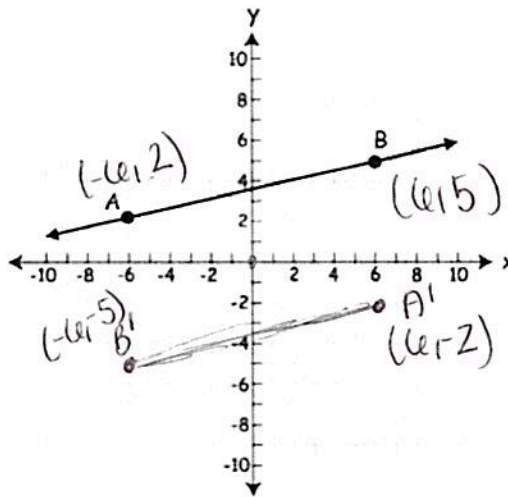


1) The accompanying diagram shows the starting position of the spinner on a board game. How does this spinner appear after a 270° counterclockwise rotation about point P ?



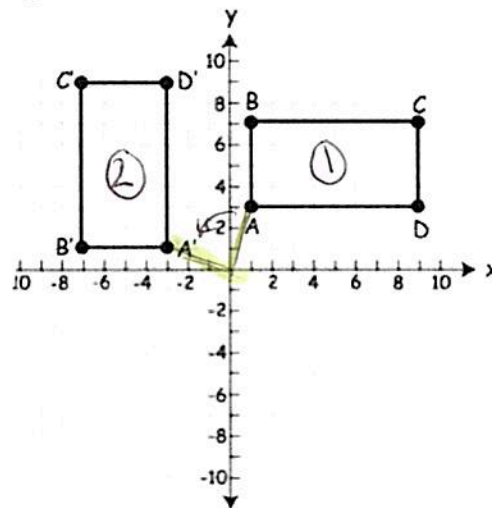
2) If \overline{AB} was rotated 180° about the origin to form its image $\overline{A'B'}$, what type of lines would \overline{AB} and $\overline{A'B'}$ create?

- Intersecting Lines
- Parallel Lines
- Perpendicular Lines
- Skew Lines



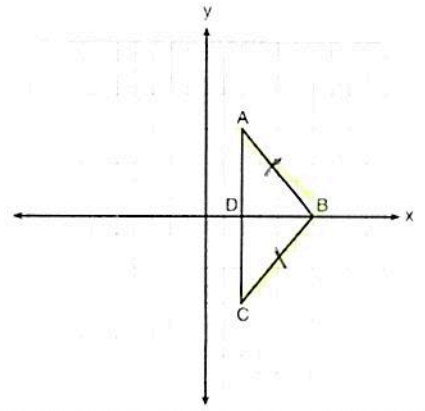
3) Based on the figure below, describe how rectangle $ABCD$ can be carried onto its image $A'B'C'D'$.

- Reflection across the x-axis
- Reflection across the y-axis
- Rotation 90° clockwise about the origin
- Rotation 90° counterclockwise about the origin



- 4) As shown in the diagram below, when right triangle DAB is reflected over the x -axis, its image is triangle DCB . Which statement justifies why $\overline{AB} \cong \overline{CB}$?

- 1) Distance is preserved under reflection.
- 2) Orientation is preserved under reflection.
- 3) Points on the line of reflection remain invariant.
- 4) Right angles remain congruent under reflection.



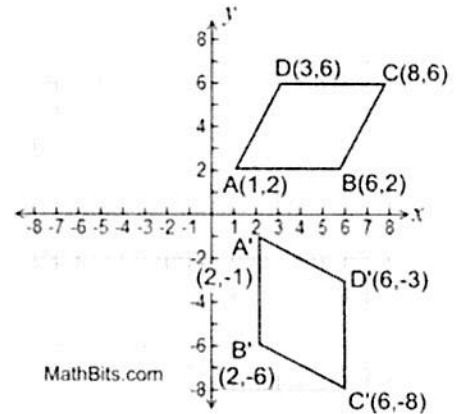
- 5) Which rotation would map $ABCD$ onto $A'B'C'D'$?

- 1) $ABCD$ rotated CCW 360° around the origin.
- 2) $ABCD$ rotated CCW 270° around the origin.
- 3) $ABCD$ rotated CCW 180° around the origin.
- 4) $ABCD$ rotated CCW 90° around the origin.

$$(1, 2) \rightarrow (2, -1)$$

$$(x, y) \rightarrow (y, -x)$$

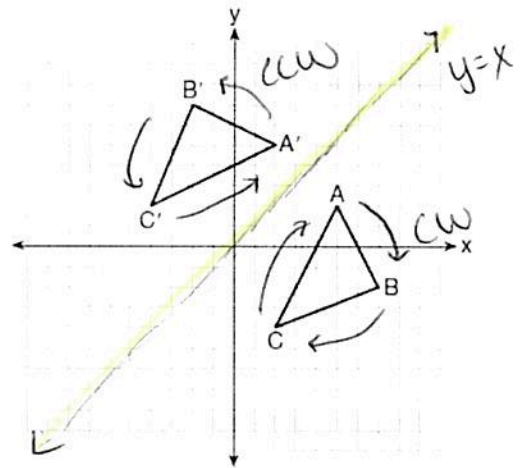
$$270^\circ$$



- 6) The graph below shows two congruent triangles, ABC and $A'B'C'$.

Which rigid motion would map $\triangle ABC$ onto $\triangle A'B'C'$?

- 1) a rotation of 90 degrees counterclockwise about the origin
- 2) a translation of three units to the left and three units up
- 3) a rotation of 180 degrees about the origin
- 4) a reflection over the line $y = x$



- 7) In the diagram of $\triangle ABC$ below, \overline{BD} is drawn to side \overline{AC} . If $m\angle A = 35$, $m\angle ABD = 25$, and $m\angle C = 60$, which type of triangle is $\triangle BCD$?

- 1) equilateral
- 2) scalene
- 3) obtuse
- 4) right

